

Pushing OLCF Frontier

>100T Grid Point CFD Sims via MFC and IGR

Spencer Bryngelson

Georgia Institute of Technology

OLCF User Meeting 2025



Computational Physics Group

<https://comp-physics.group>



7-rocket booster configuration

This work: *arXiv:2505.07392*

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F. Schäfer



A. Radhakrishnan



B. Wilfong



R. Budiardja



S. Abbott



B. Cornille

Who made this possible

Shock Treatment for CFD Simulations


By Coury Turczyn

July 23, 2025

Featured, Technology

9 min read

 2

 Share

Georgia Tech researchers use IGR and a unified memory approach to achieve the world's largest fluid dynamics simulation on Frontier

CPC

Computational Physics Group
<https://comp-physics.group>

I'm talking about this OLCF News post

The OLCF's Problem Busters

By Coury Turczyn

February 11, 2025

Featured, People

14 min read

♡ 1

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If there's something weird in your code, who are you going to call? The OLCF's User Assistance Center provides an array of expert support services, from office hours to hackathons

Professor Spencer Bryngelson and his team of researchers at Georgia Tech's School of Computational Science and Engineering were excited to bring their code into the new world of exascale-class supercomputing. The [Multicomponent Flow Code](#), or MFC, originated in the early 2000s to model the simultaneous movements of gases and liquids as they transform through different thermodynamic phases, such as water boiling into steam. When exascale computing arrived some 20 years later, the freshly updated code was ready to leverage the latest advances in high-performance computing, or HPC.

These folks helped!

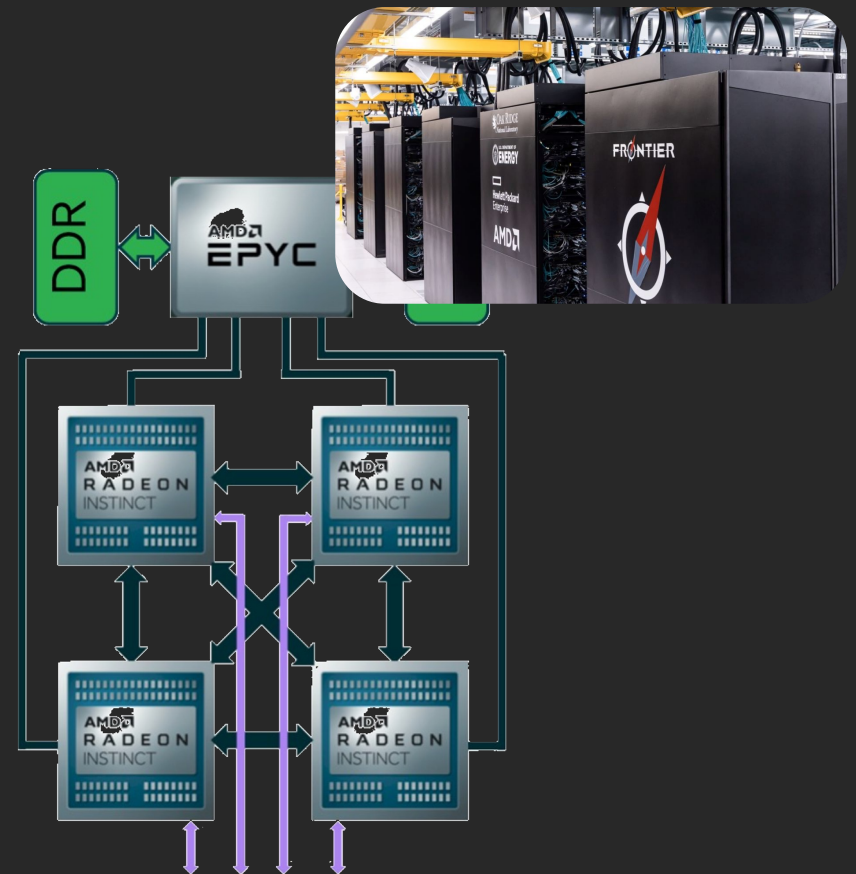
Today

Solving multiphase eng. problems

A modified equation

Exascale solves

Example problem



A usual suspect

Compressible, multi-component

Shock/interface-capturing

More! [in MFC]

Sub-grid models, phase change,
surface tension, complex geom.,
chem. reactions, ...



$$\frac{\partial \alpha_i \rho_i}{\partial t} + \nabla \cdot (\alpha_i \rho_i \mathbf{u}) = 0,$$

$$\frac{\partial \rho \mathbf{u}}{\partial t} + \nabla \cdot (\rho \mathbf{u} \otimes \mathbf{u} + p \mathbf{I}) = 0,$$

$$\frac{\partial \rho E}{\partial t} + \nabla \cdot [(\rho E + p) \mathbf{u}] = 0,$$

$$\frac{\partial \alpha_i}{\partial t} + \mathbf{u} \cdot \nabla \alpha_i = -k \nabla \cdot \mathbf{u}$$

Simplifying/removing “problems”

Information Geometric Regularization

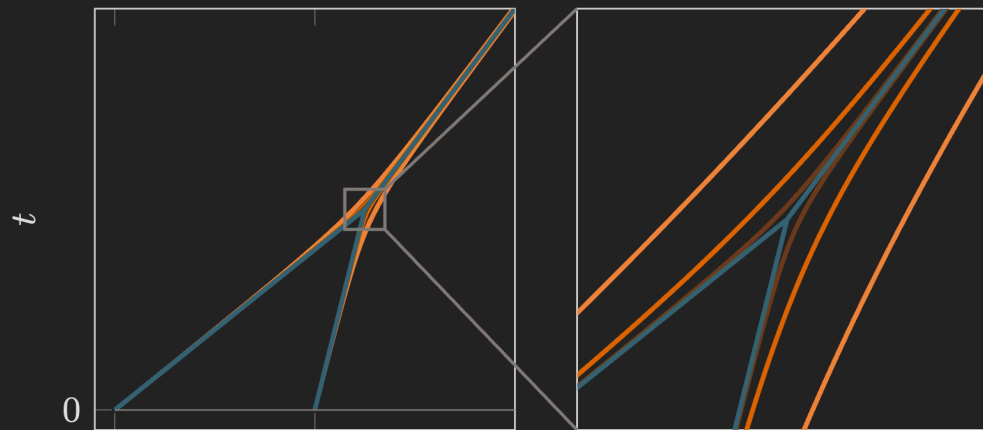
Shock *capturing* entails artificial dissipation or limiters 🙅

Avoid the problem

IGR:

$$\begin{cases} \partial_t \begin{pmatrix} \rho u \\ \rho \end{pmatrix} + \vec{\text{div}} \begin{pmatrix} \rho u \otimes u + (P(\rho) + \Sigma) \mathbf{I} \\ \rho u \end{pmatrix} = \begin{pmatrix} f \\ 0 \end{pmatrix} \\ \rho^{-1} \Sigma - \alpha \vec{\text{div}}(\rho^{-1} \nabla \Sigma) = \alpha (\text{tr}^2([\mathbf{D}u]) + \text{tr}([\mathbf{D}u]^2)) \end{cases}$$

— No regularization ($\alpha = 0.0$) — $\alpha = 10^{-5}$ — $\alpha = 10^{-4}$ — $\alpha = 10^{-3}$



Information Geometric Regularization

Shock *capturing* entails artificial dissipation or limiters 🙅

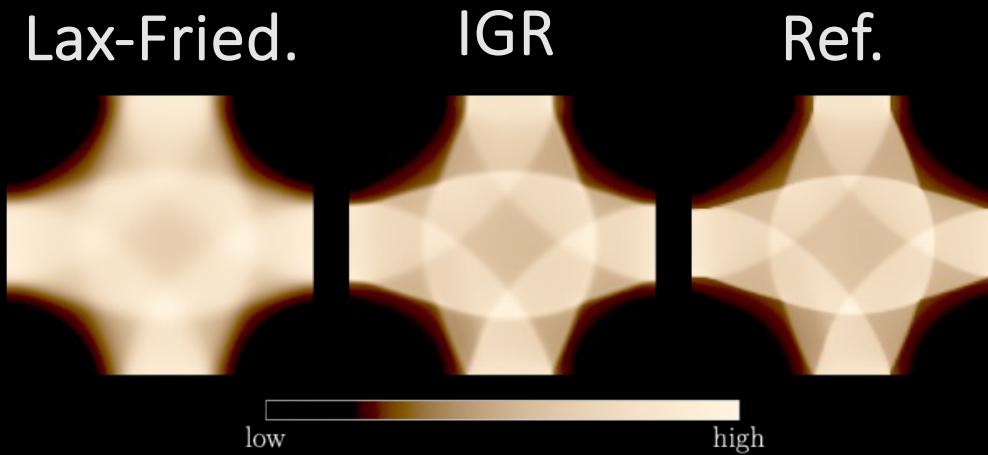
Avoid the problem

IGR:

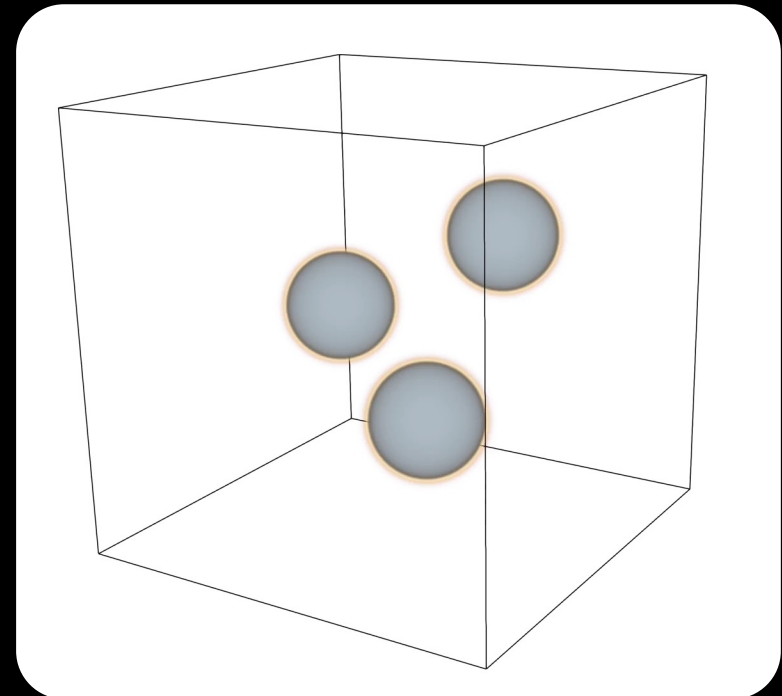
$$\begin{cases} \partial_t \begin{pmatrix} \rho \mathbf{u} \\ \rho \end{pmatrix} + \vec{\text{div}} \begin{pmatrix} \rho \mathbf{u} \otimes \mathbf{u} + (P(\rho) + \Sigma) \mathbf{I} \\ \rho \mathbf{u} \end{pmatrix} = \begin{pmatrix} \mathbf{f} \\ 0 \end{pmatrix} \\ \rho^{-1} \Sigma - \alpha \vec{\text{div}}(\rho^{-1} \nabla \Sigma) = \alpha (\text{tr}^2([\mathbf{D}\mathbf{u}]) + \text{tr}([\mathbf{D}\mathbf{u}]^2)) \end{cases}$$

Now: Solve with linear finite differences, store no intermediaries

Regularization: Sedov blast problem

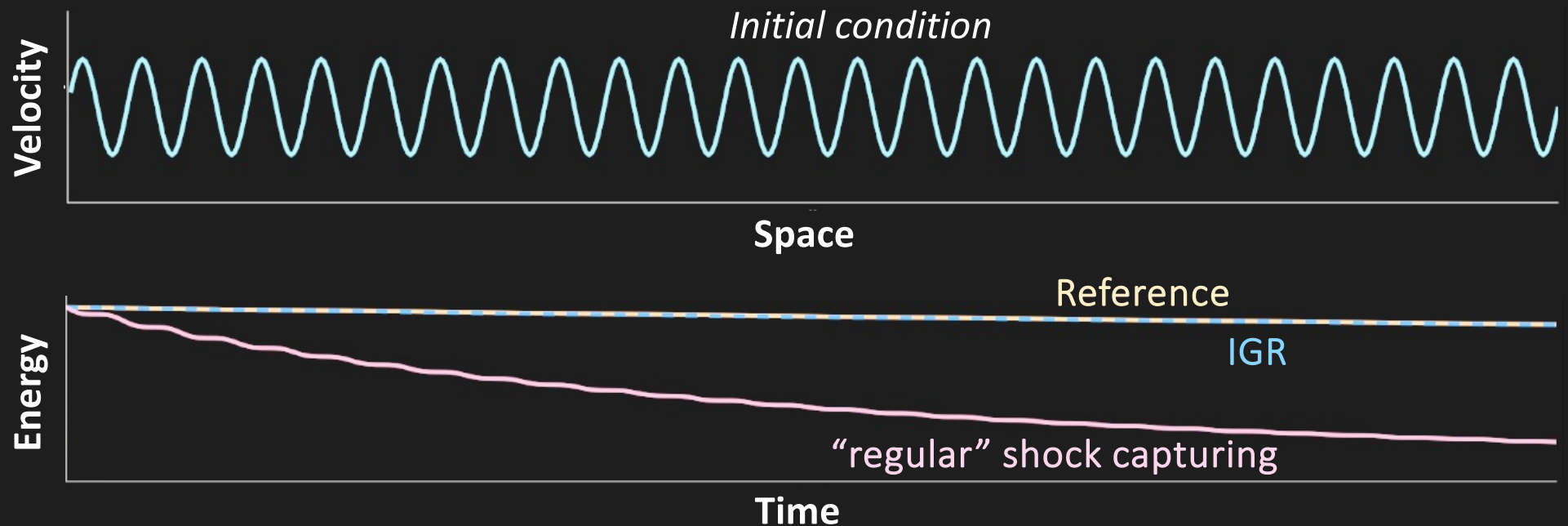


Better match to exact
(ref.) sol'n



Maintain shocks and
mixture quantities

Regularization: No systematic dissipation



No energy dissipation with IGR
Why? Never introduced viscous mechanism

Regularization: So what?

Enables

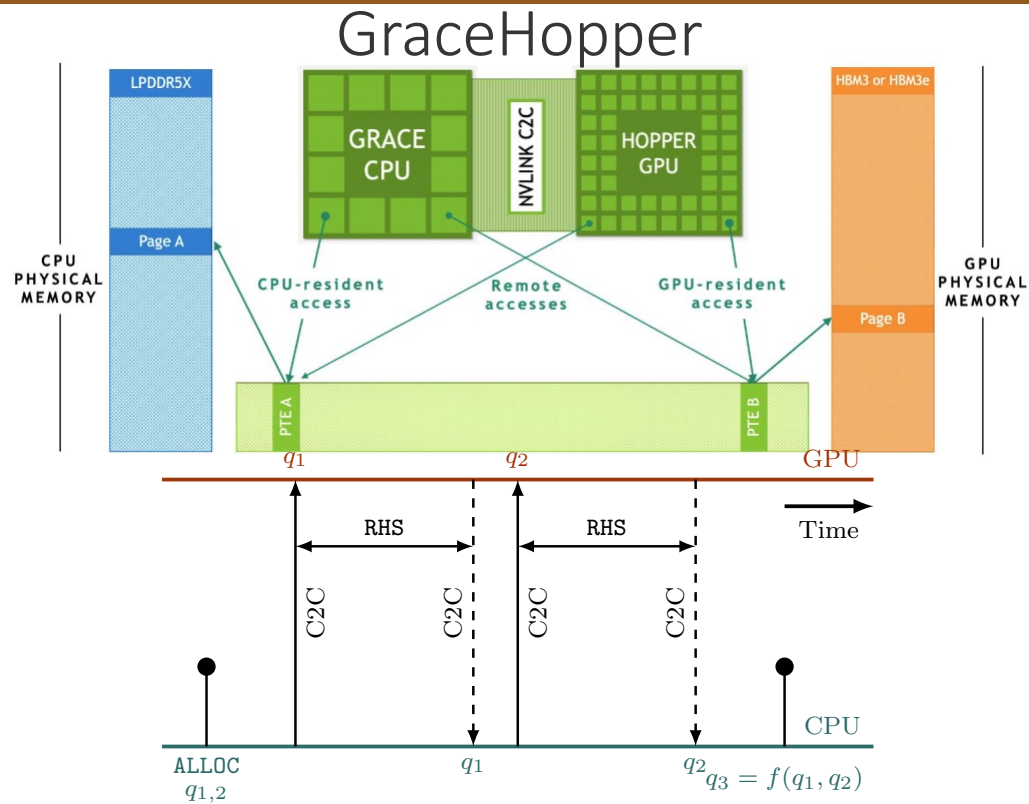
Design → Sensitivities/adjoints across shocks

Speed → No [W]ENO/Riemann solve, limiters, detectors

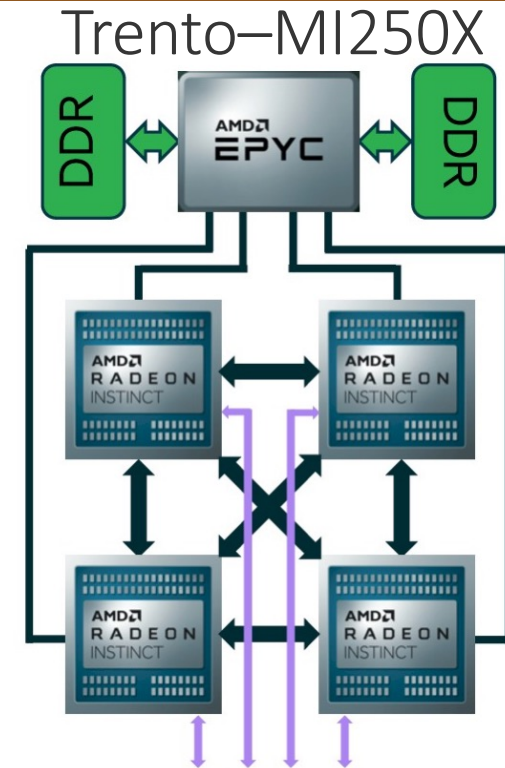
Accuracy → High-order accurate and *no dissipation*

Less memory → Larger sims. by two orders mag.

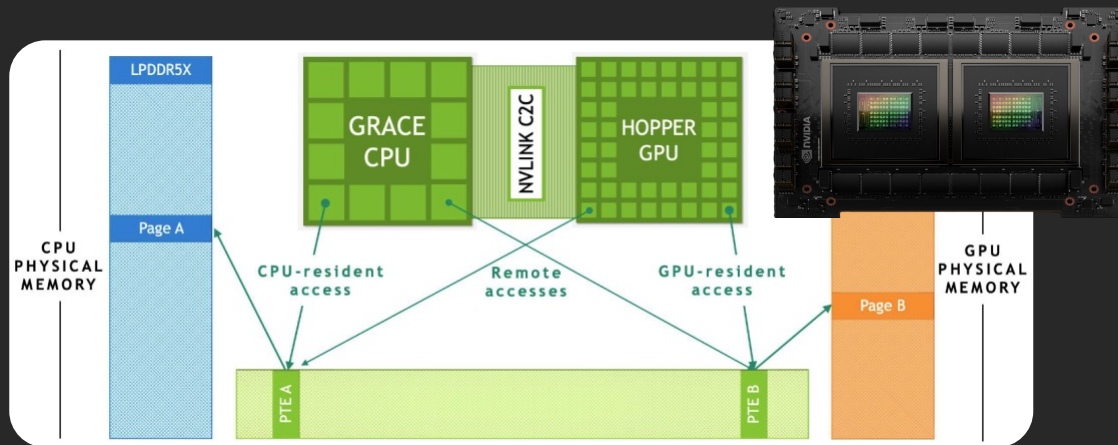
Going big (problems)



1 timestep stage in CPU DRAM, other in GPU HBM.
Zero-copy accesses via **InfinityFabric** or **C2C**

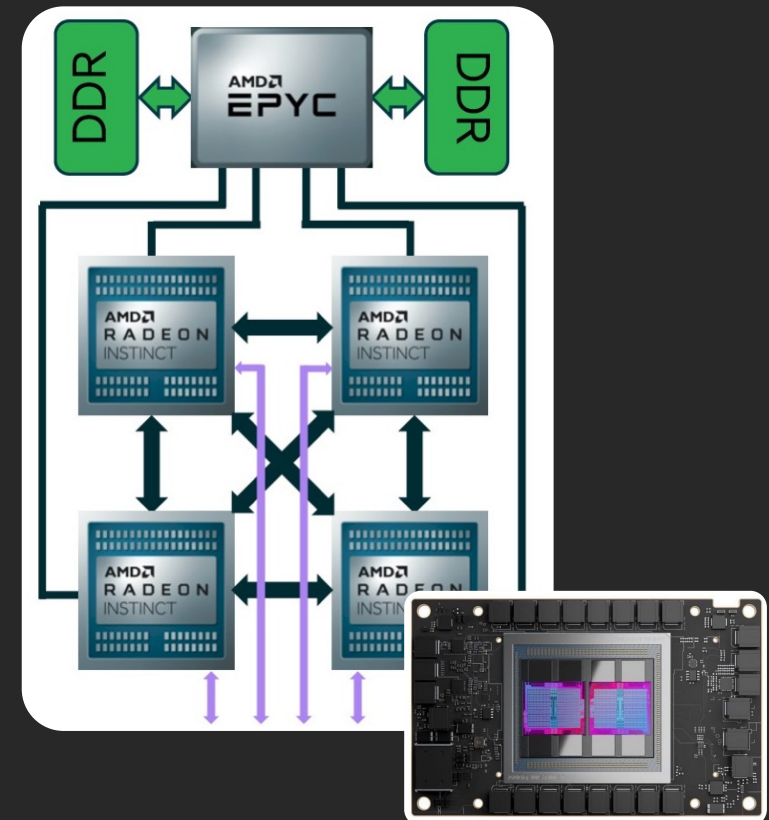


Going big (problems)

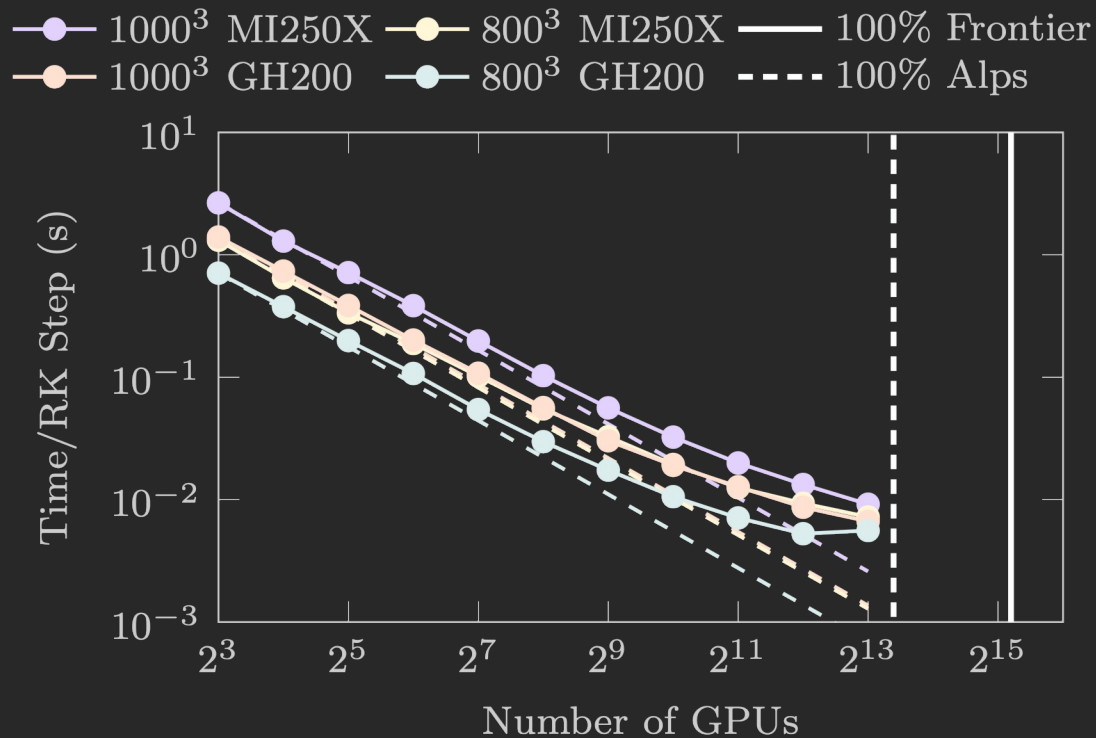


2557^3 grid points per Alps node
[4-way GH200] FP32/16

2780^3 grid points per Frontier node
[4-way MI250X] FP32/16



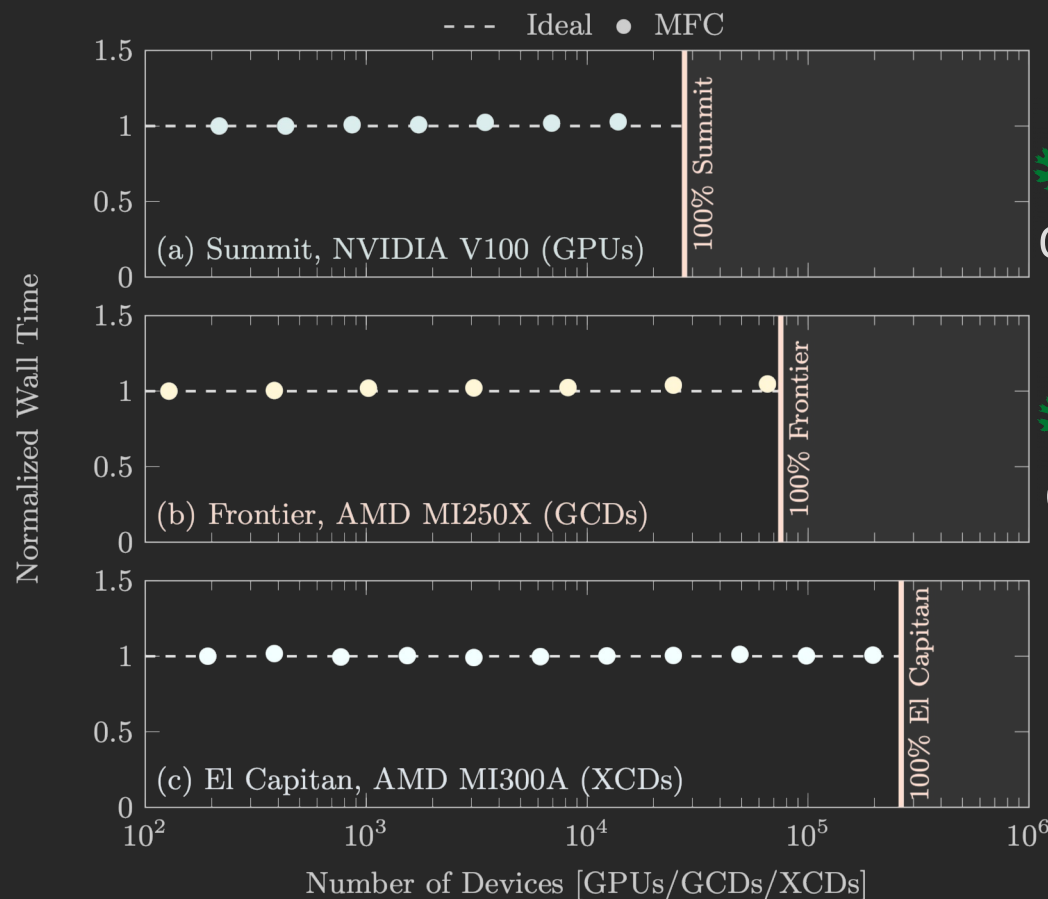
Performance: Strong scaling



From 2 nodes to
~full system!

20B grid point sim.
~1 Frontier wall minute
[this is near real-time]

Performance: Weak scaling



OAK RIDGE
National Laboratory
OLCF Summit

OAK RIDGE
National Laboratory
OLCF Frontier

Lawrence Livermore
National Laboratory
LLNL El Capitan



Ideal scaling

~1 EFLOPS

200T points [Frontier]

1 quadrillion DOF

20x SoA

Performance: Speed and power

Wall-time performance

Device	Baseline	IGR (in-core)	IGR (unified)	
GH200	21.73	5.41	5.65	FP64
MI250X GCD	76.25	18.23	25.90	
GH200	* N/A	4.27	4.46	FP32
MI250X GCD	* N/A	14.60	17.61	

4-5x faster



Energy use

Energy (μ J)	Frontier	Alps
Baseline (WENO + HLLC)	165.76	49.88
IGR	48.08	8.80

4x less energy

...all compared to optimized baseline in same code

A real example



mflowcode.github.io

A. Radhakrishnan



B. Wilfong



D. Adam

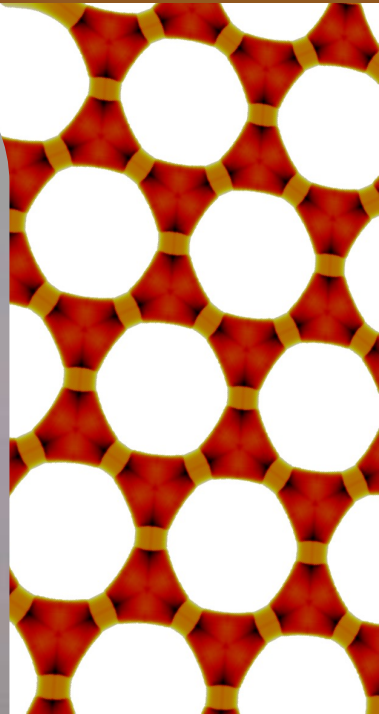
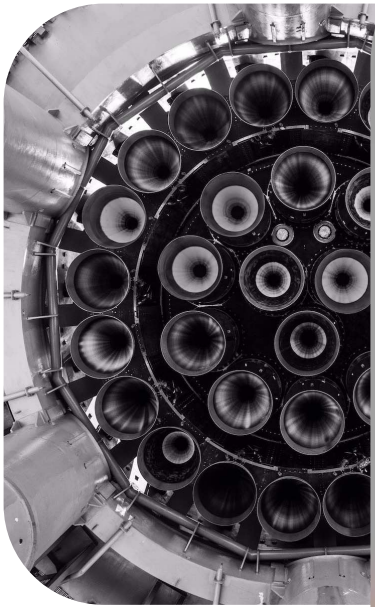


Example: Rocket engines



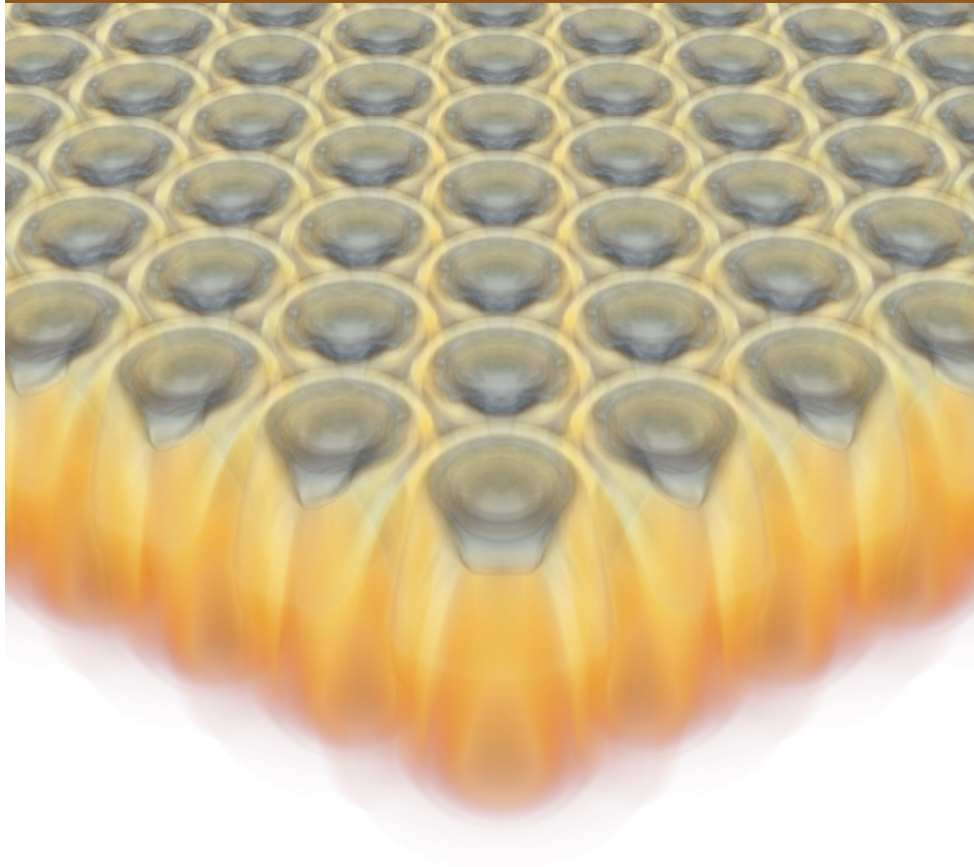
2-species (gas/gas) Mach 10 mock exhaust

Example: Rocket engines



SpaceX Super Heavy  ter

Example: Rocket engines



~ 1000 rocket engine exhausts

200T grid points [ORNL Frontier]

5-state vars. – 1 quadrillion DoF

> 20-times larger than prior SoA

Take away

Remove “problems” in the equations, solve larger problems more efficiently



CRAY®

Take away

Remove “problems” in the equations, solve larger problems more efficiently

Simulating many-engine spacecraft: Exceeding 100 trillion grid points via information geometric regularization and the MFC flow solver

Benjamin Wilfong¹, Anand Radhakrishnan¹, Henry Le Berre¹, Nikolaos Tselepidis², Benedikt Dorschner², Reuben Budiardja³, Brian Cornille⁴, Stephen Abbott⁵, Florian Schäfer^{1,§}, Spencer H. Bryngelson^{1,§}

This work: *arXiv:2505.07392*